

# New neutron long-counter on the Lohengrin spectrometer

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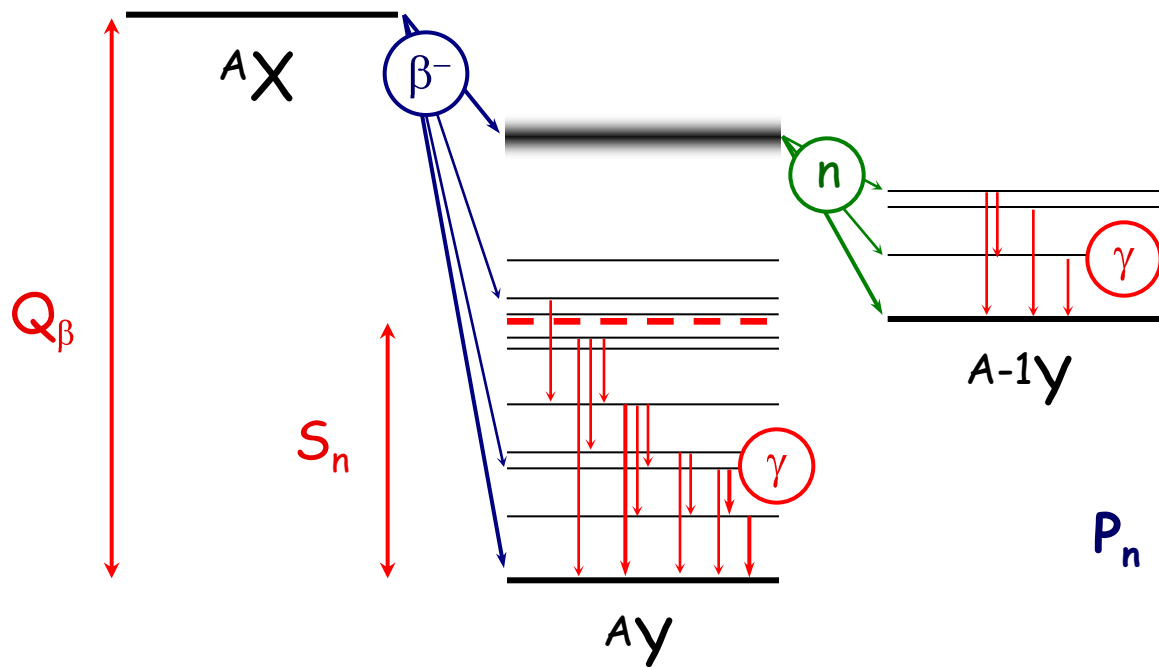
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# Presentation



$P_n = \text{ratio of } (\beta^-, n) \text{ decay over total } \beta^- \text{ decay}$

$P_n$  value is a nuclear data Independent of the fissioning system

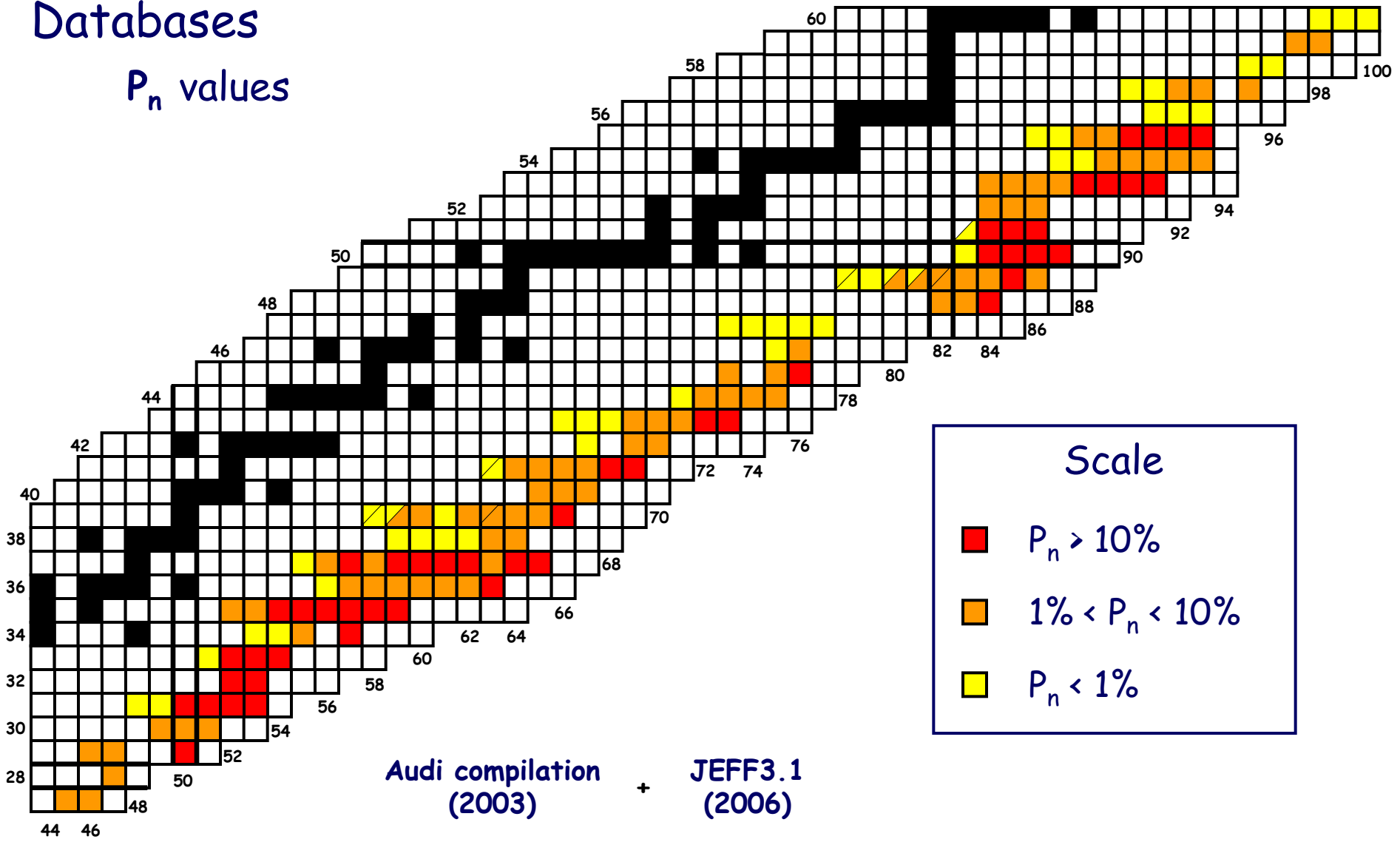
Requierement:  $Q_\beta > S_n$

$S_n$  low and  $Q_\beta$  high for neutron-rich nuclei

➔  $P_n$  value increases far from stability

# Databases

$P_n$  values

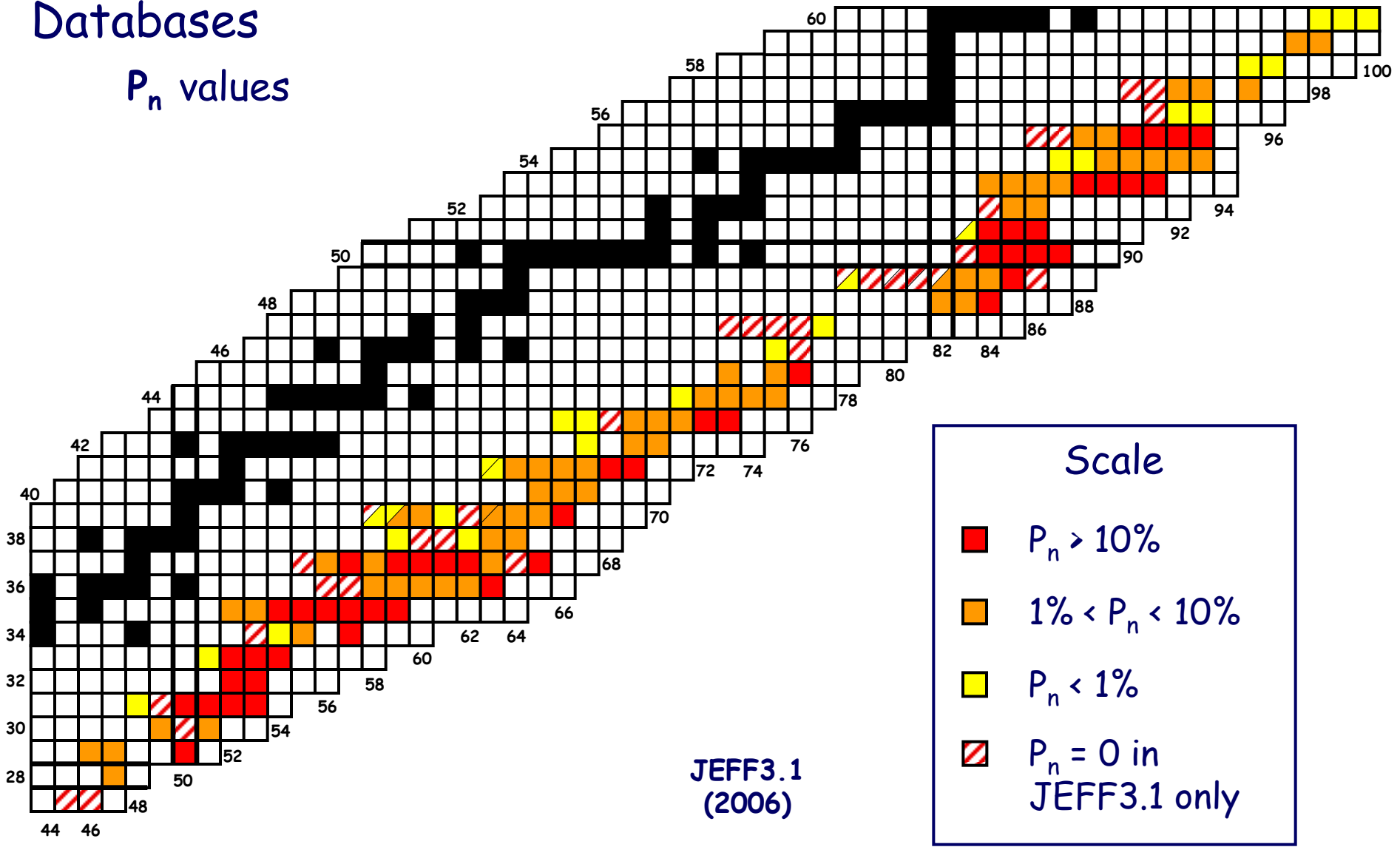


### Scale

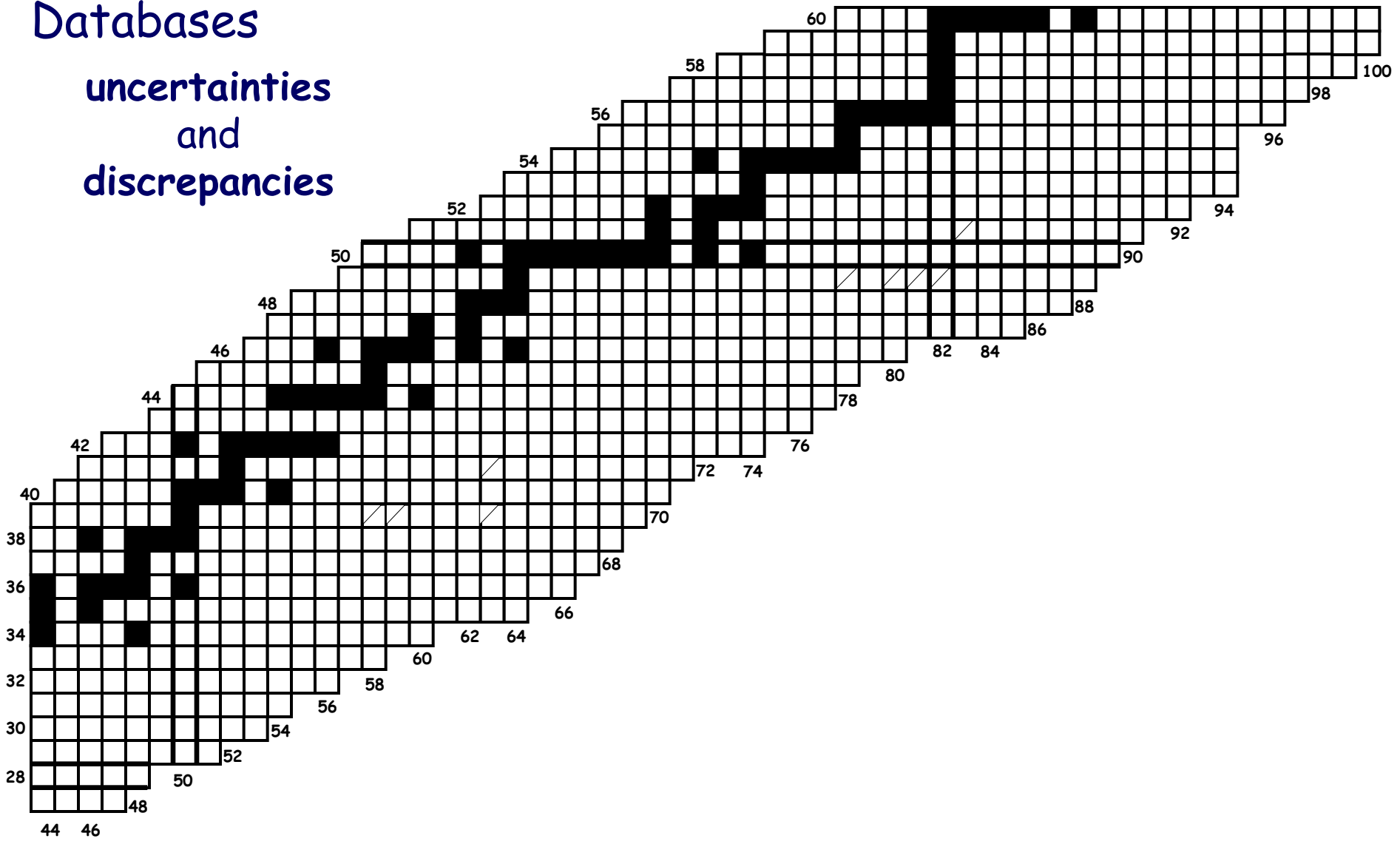
- $P_n > 10\%$
- $1\% < P_n < 10\%$
- $P_n < 1\%$

# Databases

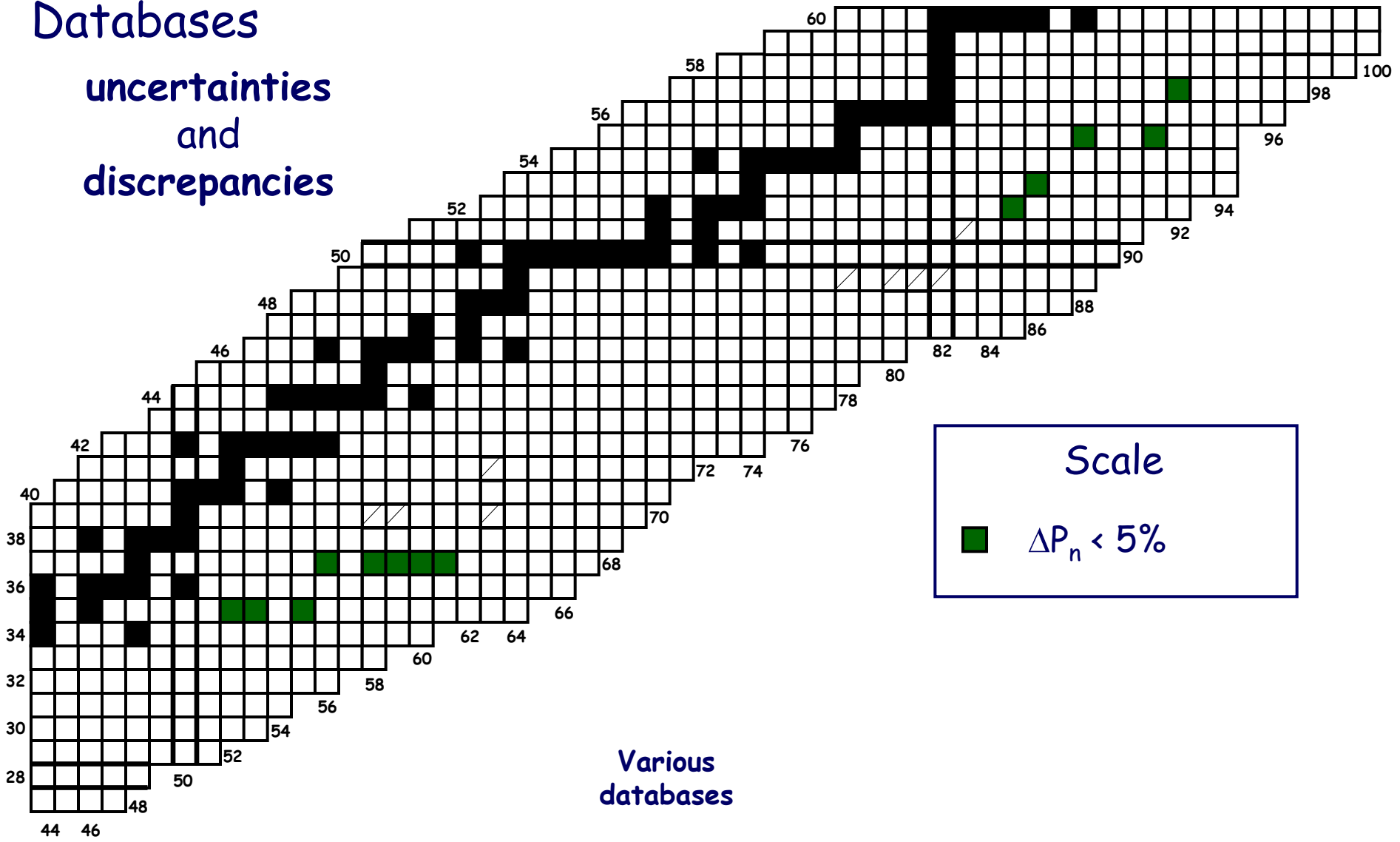
$P_n$  values



# Databases uncertainties and discrepancies

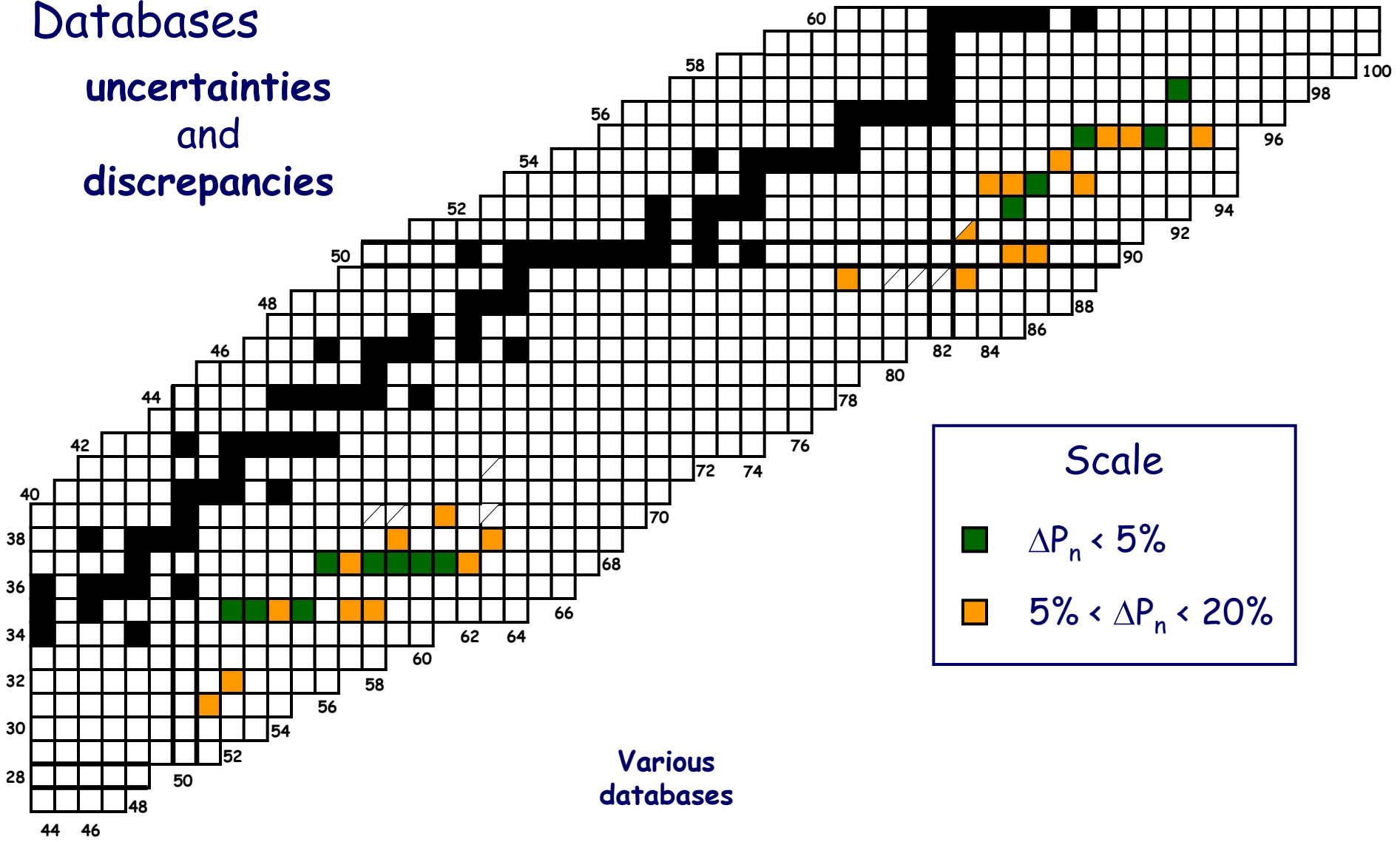


# Databases uncertainties and discrepancies



# Databases

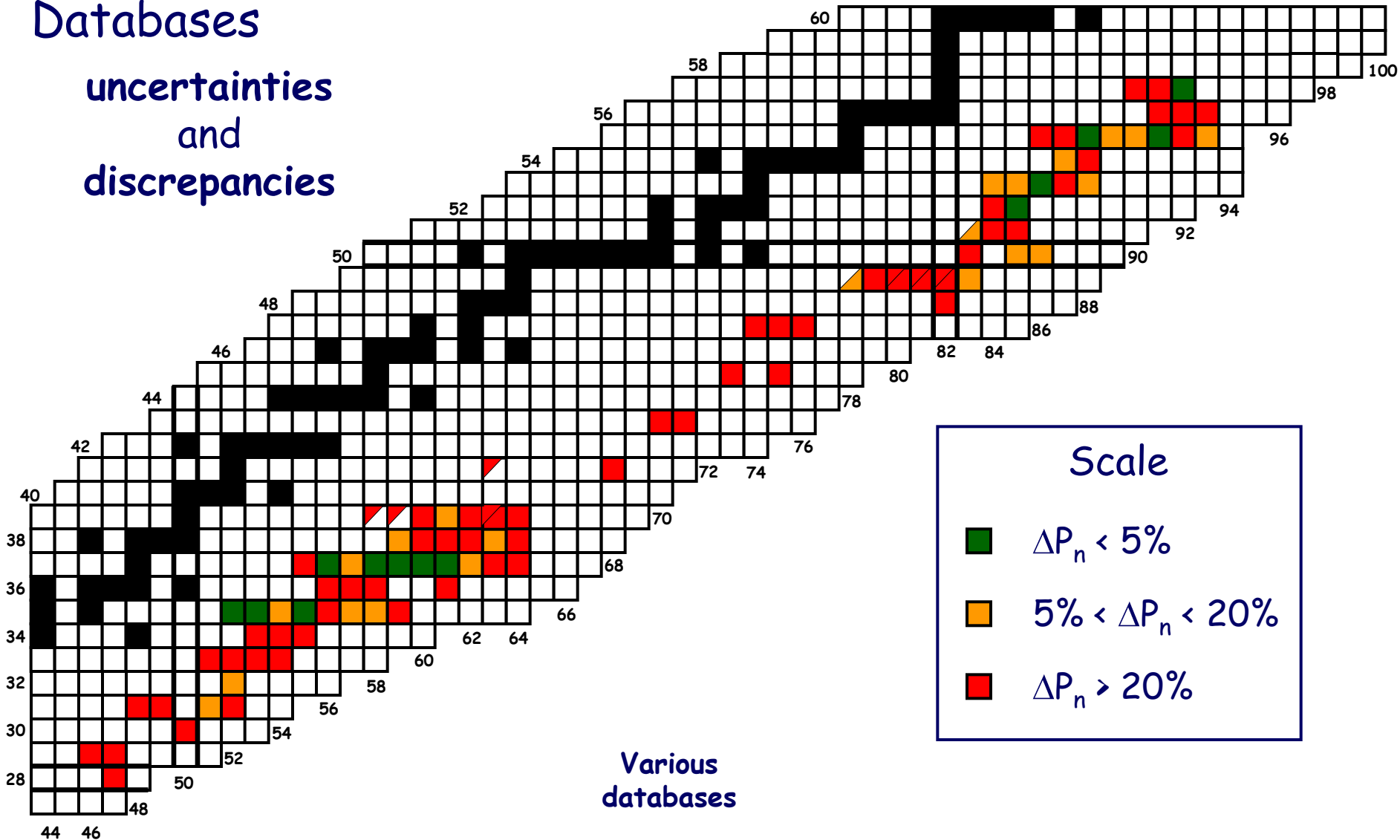
uncertainties  
and  
discrepancies



### Scale

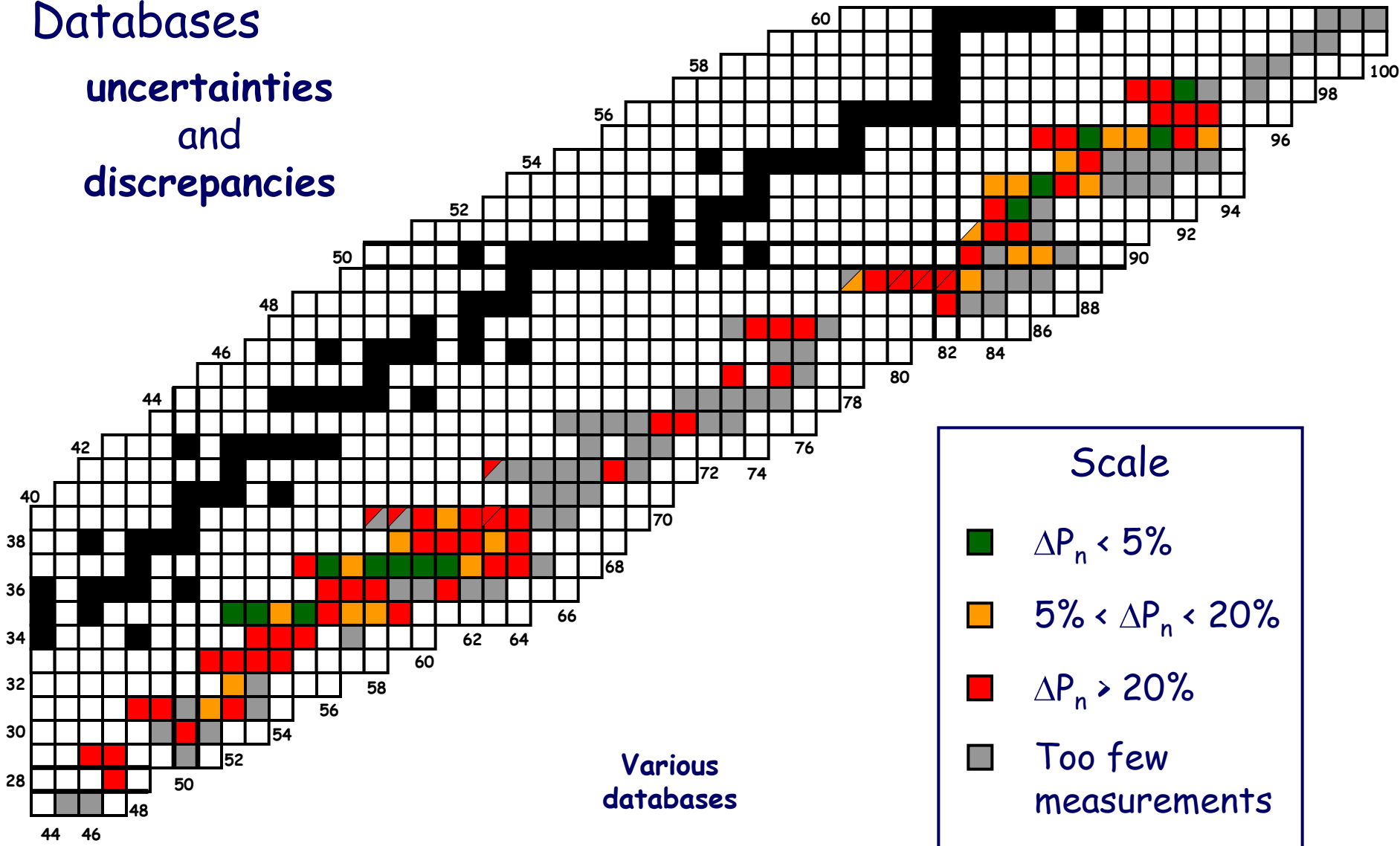
- $\Delta P_n < 5\%$
- $5\% < \Delta P_n < 20\%$

# Databases uncertainties and discrepancies





# Databases uncertainties and discrepancies



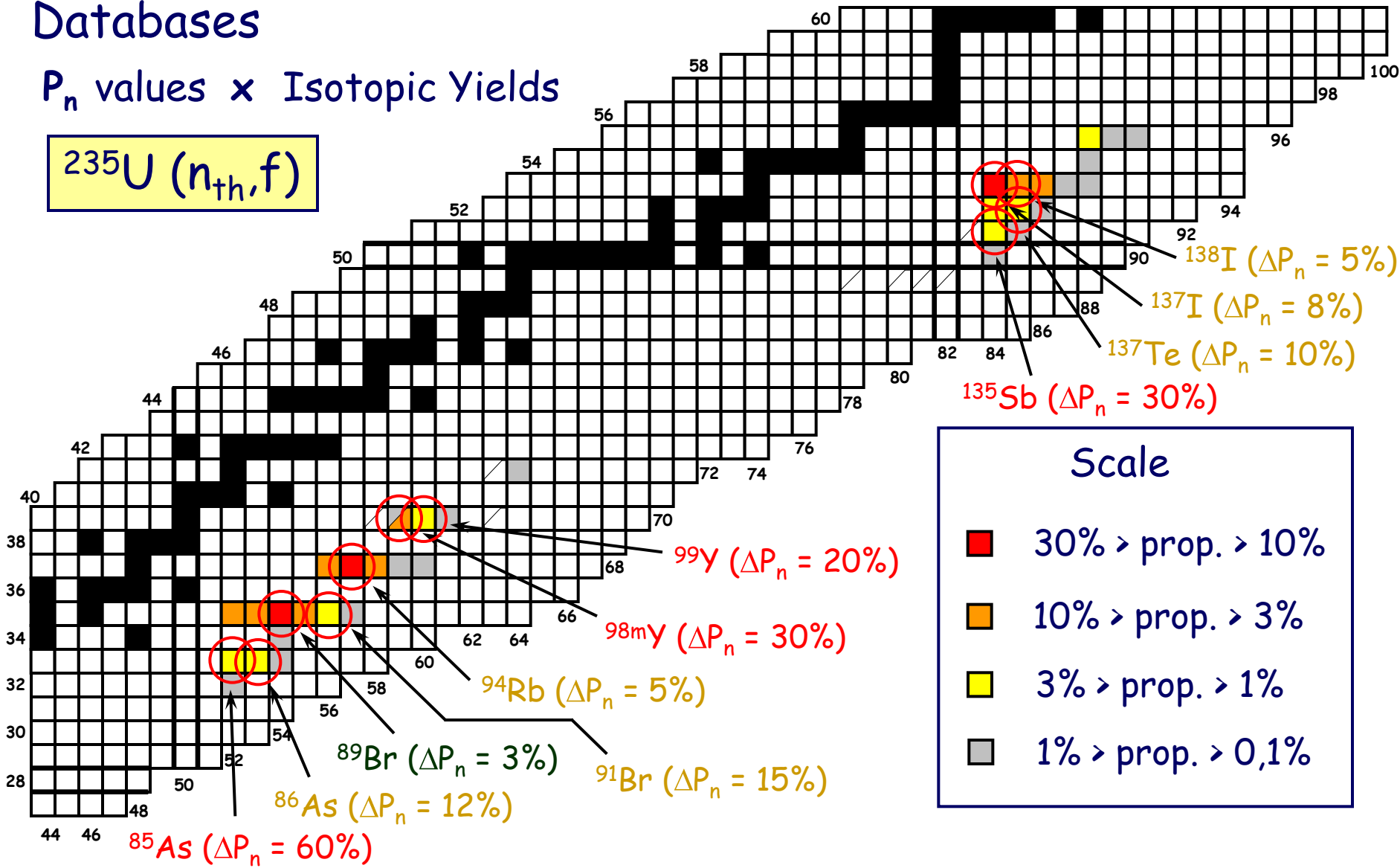
### Scale

- $\Delta P_n < 5\%$
- $5\% < \Delta P_n < 20\%$
- $\Delta P_n > 20\%$
- Too few measurements

# Databases

$P_n$  values x Isotopic Yields

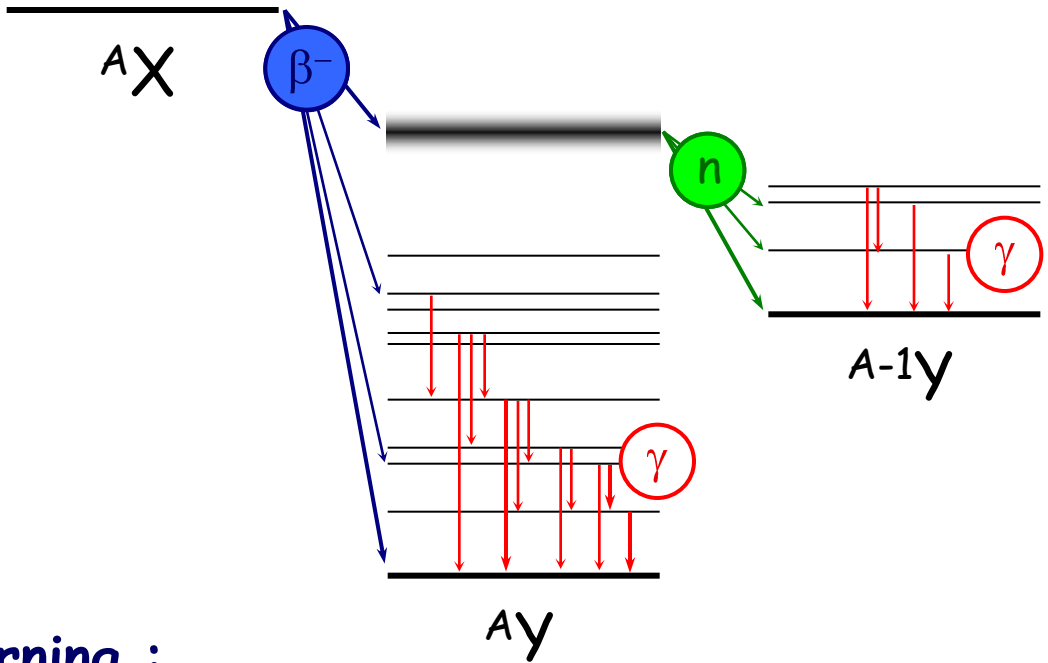
$^{235}\text{U} (n_{th}, f)$



### Scale

- 30% > prop. > 10%
- 10% > prop. > 3%
- 3% > prop. > 1%
- 1% > prop. > 0,1%

## Neutron - Beta spectrometry



$P_n =$  ratio of  $(\beta^-, n)$  decay over total  $\beta^-$  decay

$$P_n = \frac{n}{\beta} \frac{\epsilon_\beta}{\epsilon_n}$$

↑  
**Not known:**  
 determined  
 with well known  
 $P_n$  values

**Warning :**

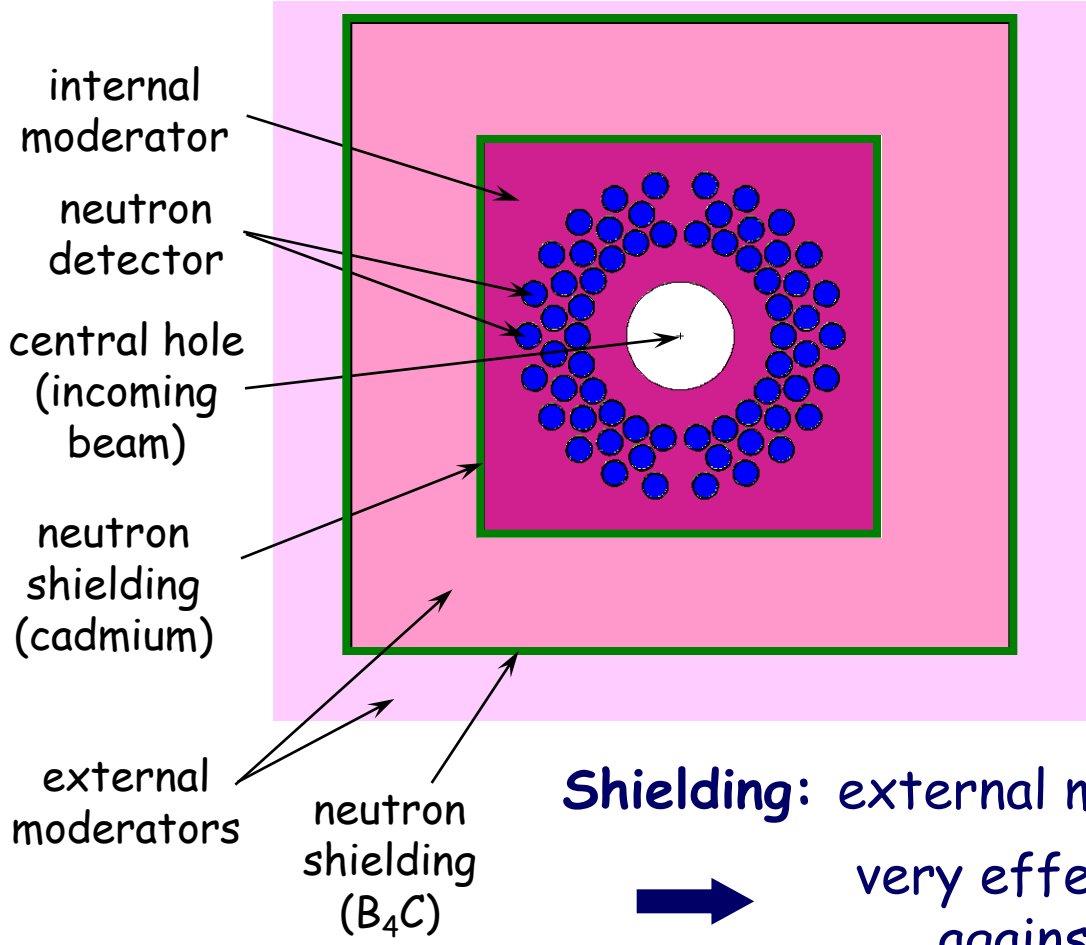
$\frac{\epsilon_\beta}{\epsilon_n}$  must be constant

➔  $\epsilon_\beta$  and  $\epsilon_n$  must be constant

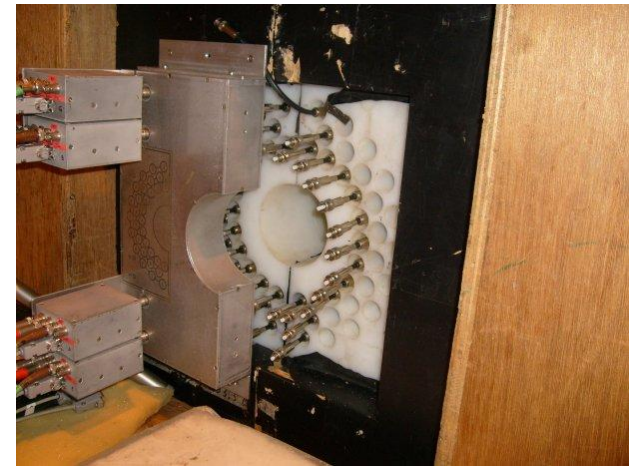
➔ specific design of detectors

## Usual design

### Example of the Kratz's long-counter



Picture of the Kratz's long counter



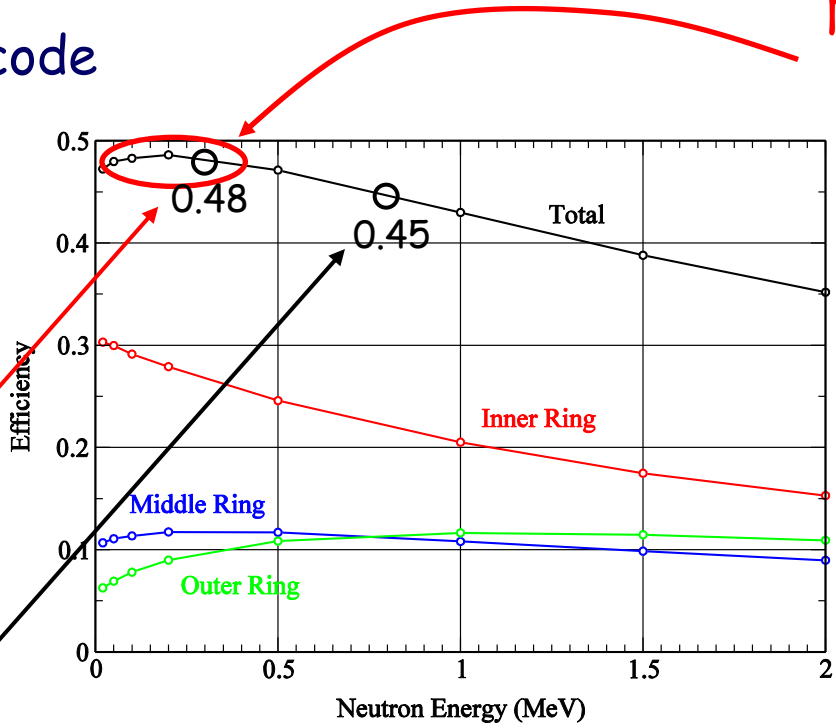
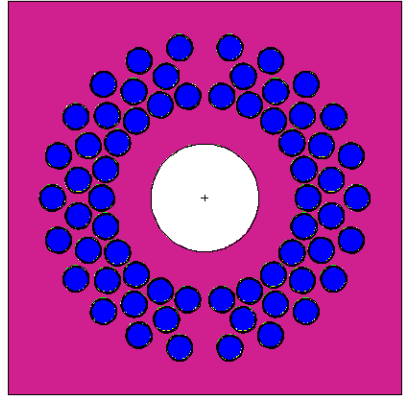
**Several rings:**

- maximum efficiency
- information on neutron energy (via ring ratio calculations)

**Shielding:** external moderator + neutron absorber  
very effective **background reduction**  
against **slow and fast neutrons**

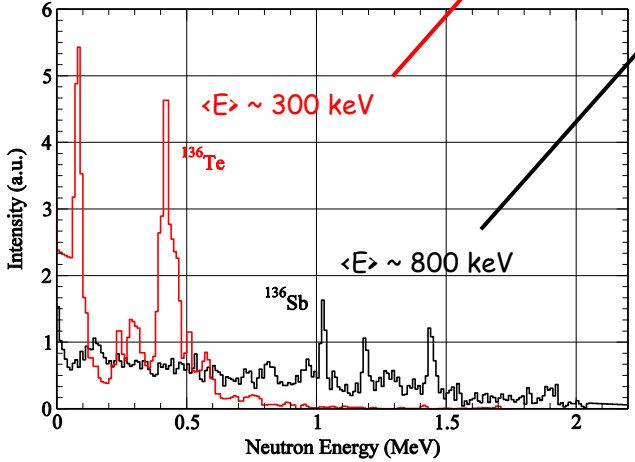
## Efficiency curves

Simulations with MCNP code



Neutrons of low energy favored

Delayed neutron spectrum of  $^{136}\text{Sb}$  and  $^{136}\text{Te}$  (JANIS database)

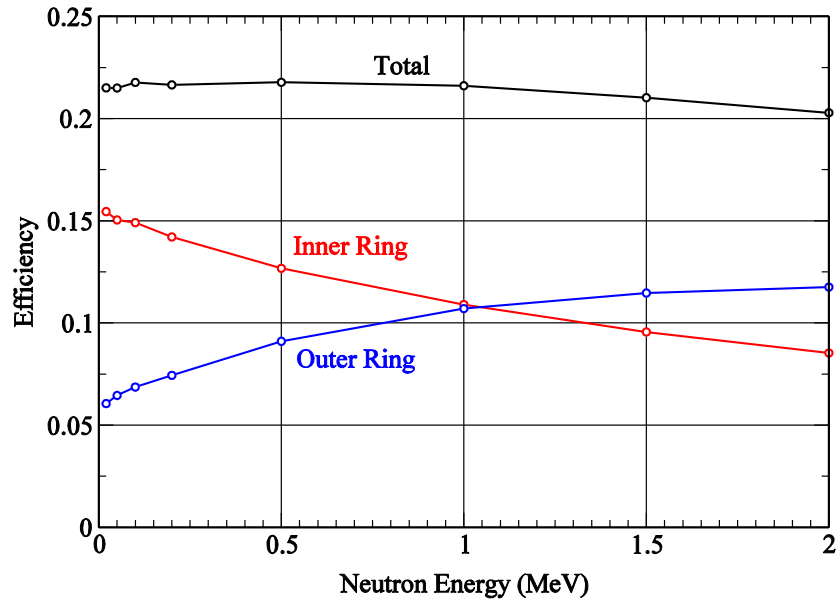
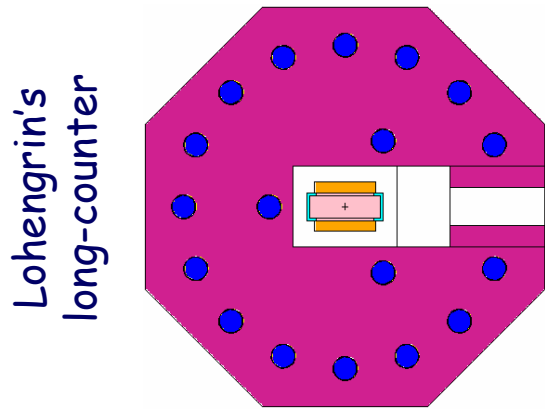


➔ Difference of 6% on  $\epsilon_n$

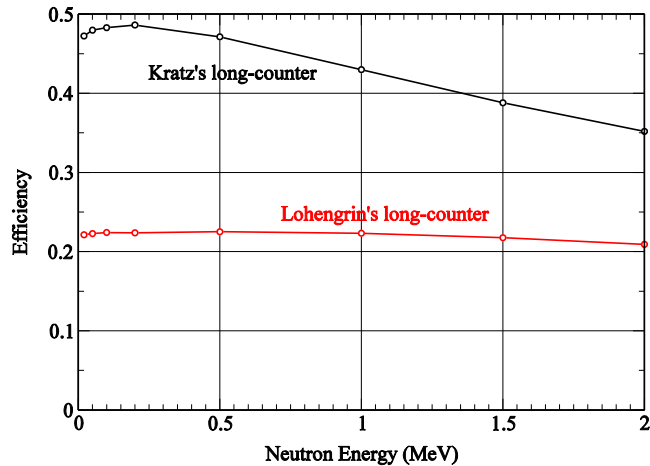
Kratz's long-counter:  
optimized for efficiency

## New detector design

### Simulations with MCNP code



### Kratz's VS Lohengrin's



➔ Negligible differences in  $\epsilon_n$  up to 1 MeV

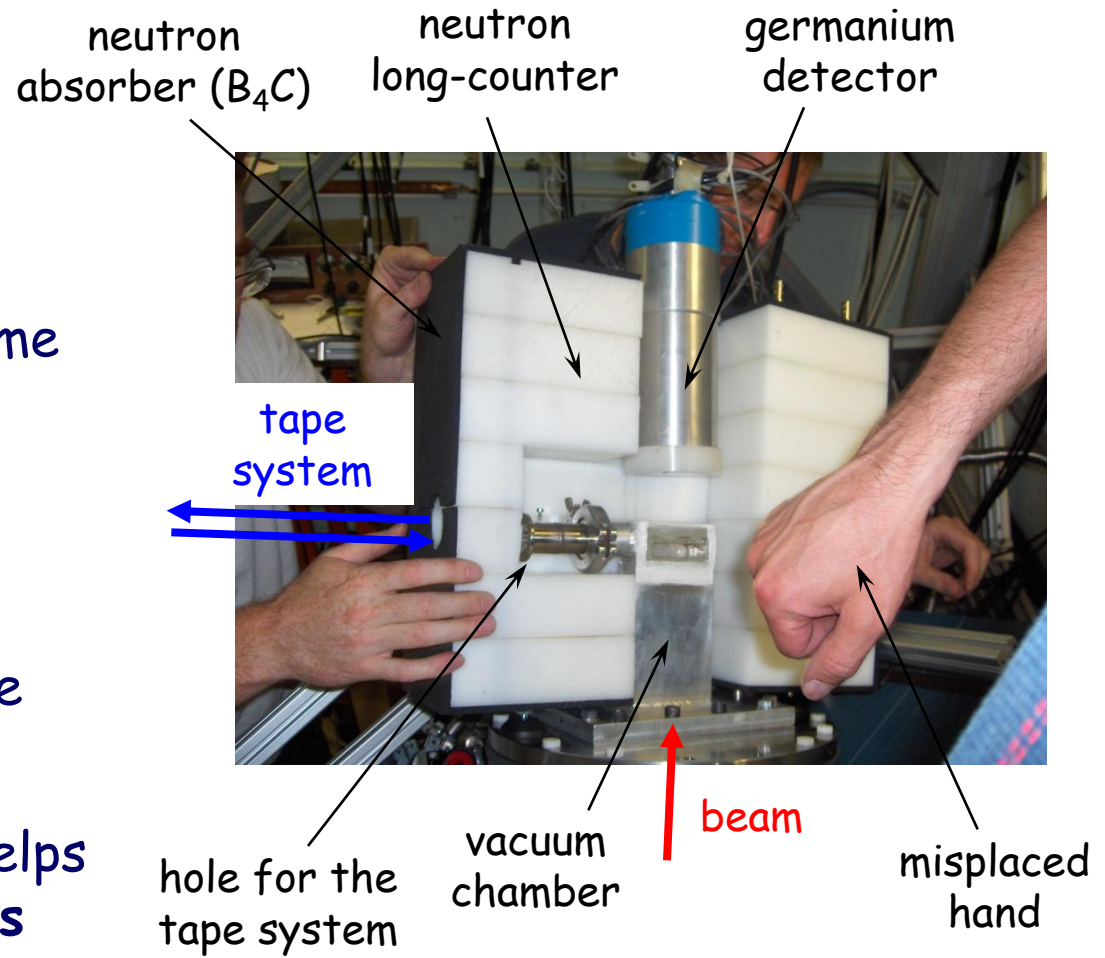
Lohengrin's long-counter: lower efficiency but better characteristics for  $P_n$  measurements

## Experiment on the Lohengrin spectrometer

**Hybrid method:**  
- neutron long-counter  
- germanium detector

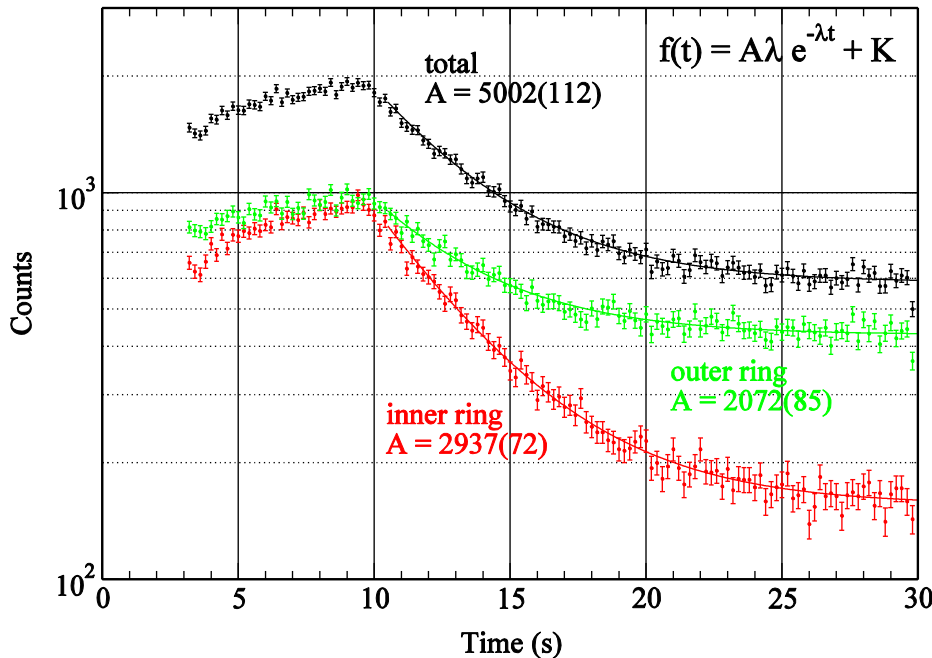
**Mass separation:**  
Several isotopes in the same mass chain

- ➔ Analysis of the decay curves
- ➔ Tape system to remove long-lived nuclei
- ➔ Germanium detector helps to detect contaminants



## First Results: a strong emitter

$^{94}\text{Rb} : T_{1/2} = 2,7\text{s}, P_n = 10,5(5)\%$



Ring counting rate:

$\tau$  3 inner tubes  $>$   $\tau$  15 outer tubes

➔ 3 tubes is not that small

$bg / \text{outer tube} \sim 2 \times bg / \text{inner tube}$

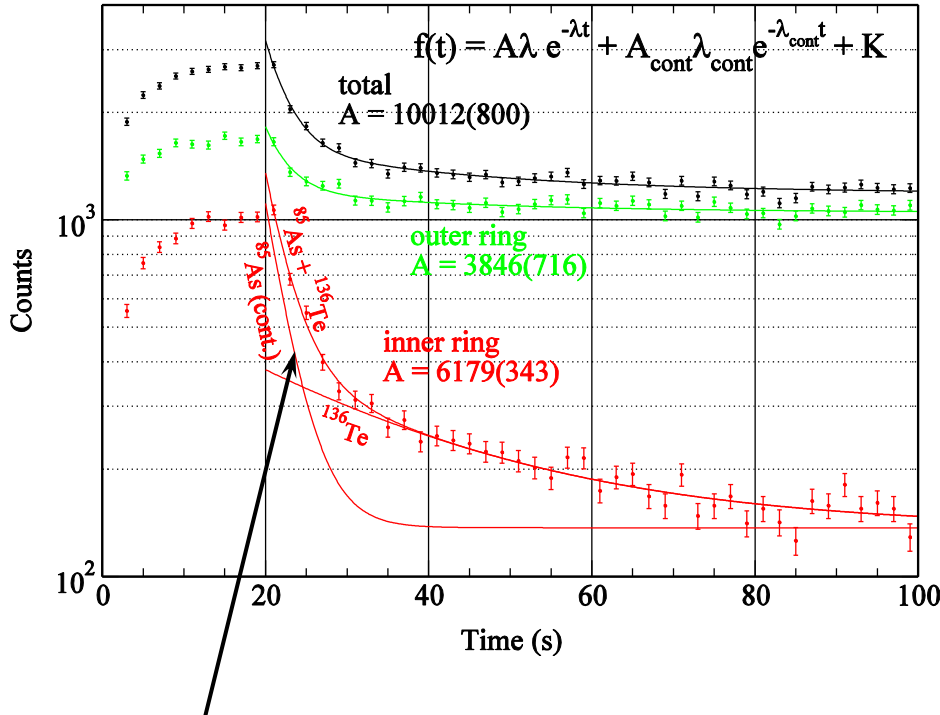
➔ Background too high for this low counting rate

Only high strong emitters (high  $P_n \cdot Y_i$ ) can be measured



## First Results: a weak emitter

$^{136}\text{Te}$  :  $T_{1/2} = 17,7\text{s}$ ,  $P_n = 1,31\%$  (0% in JEFF)



**Additional issue:**

**Mass separator: possible contaminant emitting neutron**

$A=85$  go through Lohengrin with  $A=136$

$^{136}\text{Sb}$  ( $T_{1/2} = 0,92\text{s}$ ) hidden by strong  $^{85}\text{As}$  ( $T_{1/2} = 2,0\text{s}$ )

## Comparisons

$P_n$	Database	$^{94}\text{Rb}$	$^{99}\text{Y}$	$^{136}\text{Te}$
	compilation from Rudstam (1993)	$(10,01 \pm 0,23)\%$	$(1,9 \pm 0,4)\%$	$(1,30 \pm 0,06)\%$
	Table of Isotopes books (1998)	$(10,4 \pm 0,4)\%$	$(1,03 \pm 0,04)\%$	$(1,1 \pm 0,6)\%$
	compilation from Pfeiffer (2002)	$(9,1 \pm 1,1)\%$	$(2,2 \pm 0,5)\%$	$(1,26 \pm 0,2)\%$
	compilation from Audi (2003)	$(10,01 \pm 0,23)\%$	$(1,9 \pm 0,4)\%$	$(1,31 \pm 0,05)\%$
	JEFF3.1 database (2005)	$(10,1 \pm 0,2)\%$	1,7 %	0%
	chart of nuclide from NNDC	$(10,5 \pm 0,4)\%$	$(1,9 \pm 0,4)\%$	$(1,31 \pm 0,05)\%$
	<i>Our results (préliminaire)</i>	<i><math>(10,99 \pm 0,29)\%</math></i>	<i><math>(1,73 \pm 0,18)\%</math></i>	<i><math>(1,28 \pm 0,13)\%</math></i>

Quite precise measurements for  $^{94}\text{Rb}$  and  $^{99}\text{Y}$   $P_n$  values  
(a little bit high for  $^{94}\text{Rb}$  ?)

No amelioration of the  $^{136}\text{Te}$   $P_n$  value accuracy  
(but we confirm the JEFF's mistake)

Calibration check  
with a gamma source

$$\varepsilon_{n \text{ exp}} = (23,8 \pm 2,5)\%$$

$$\varepsilon_{n \text{ simu}} \sim 22\% \text{ sur } [0;1 \text{ MeV}]$$

## Conclusion

$P_n$  values are not very well known  
there are a lot of discrepancies between databases  
even for nuclei crucial for nuclear energy

**New neutron long-counter**  
based on a constant efficiency up to 1 MeV  
first experiment shows good results but a too high background

**Improvements:**  
new shielding in progress  
beta chamber with constant efficiency planned

➔ precise measurements of  $P_n$  values  
use of this detector on other facilities

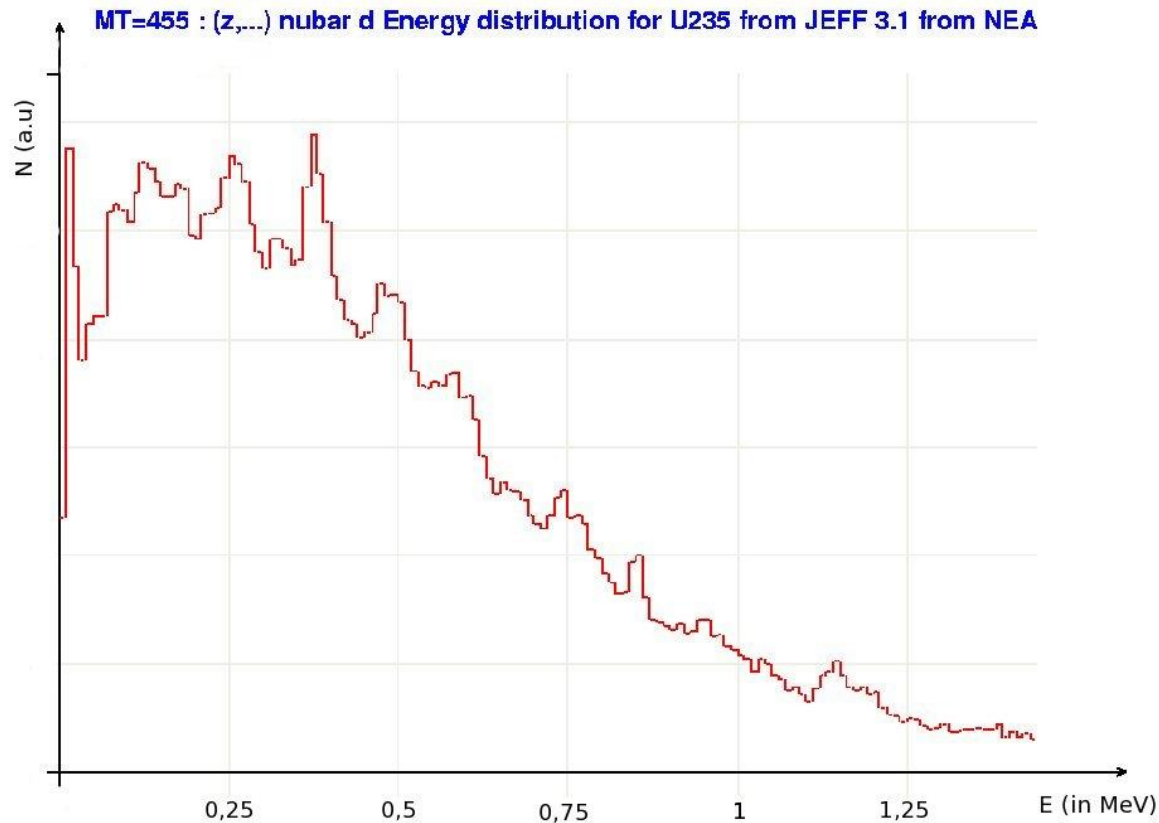
## Nuclei of interest (for DESIR?) from the nuclear technology point of view

Nucleus	% of all DN	$\Delta P_n / P_n$
$^{137}\text{I}$	13 to 40%	8%
$^{98\text{m}}\text{Y}$	5 to 16%	30%
$^{94}\text{Rb}$	7 to 12%	5%
$^{135}\text{Sb}$	0.3 to 3%	30%
$^{99}\text{Y}$	2 to 4%	10%
$^{91}\text{Br}$	0.5 to 2%	15%
$^{137}\text{Te}$	0.2 to 1.5%	10%
$^{86}\text{As}$	0.2 to 1%	60%



## Presentation

### Energy spectrum of the delayed neutrons



**Fast neutrons** (40% with  $E > 0,5$  MeV)

## Integral measurements

VS summation calculation: 
$$Nd_{tot} = \sum_i Y_i^c \cdot P_{ni}$$

Nuclei	$^{233}\text{U}$	$^{235}\text{U}$	$^{239}\text{Pu}$	$^{241}\text{Pu}$	$^{242\text{m}}\text{Am}$	$^{243}\text{Cm}$	$^{245}\text{Cm}$
summation calculation (pcm)	297	604	253	509	241	93	217
integral measurements (pcm)	271	652	261	644	261	121	257
discrepancy	+10%	-7%	-3%	-21%	-8%	-23%	-16%

**There is something wrong**

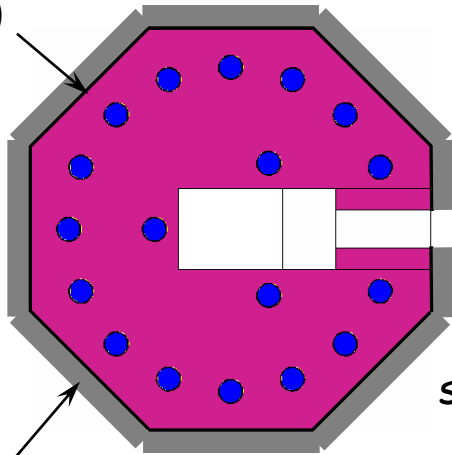
**Needs of new measurements:**

- isotopic yields  $Y_i$  (for each target nucleus)
- probabilities  $P_{n,i}$  (only one time and for all)

## Improvements on neutron detector

### More effective neutron shielding:

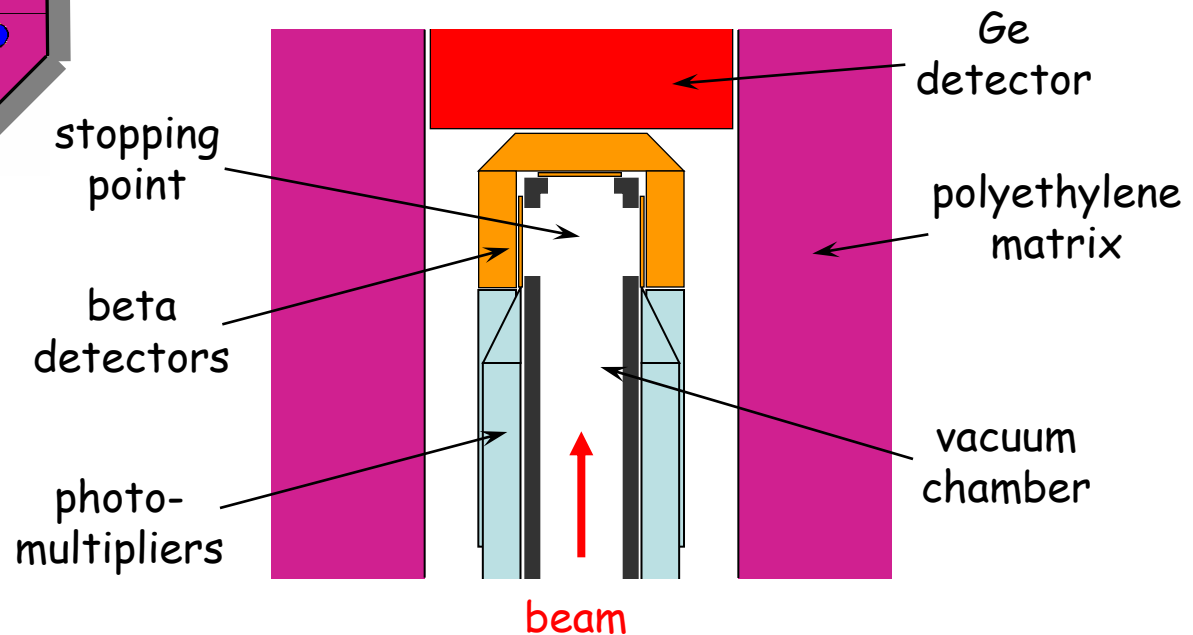
old shielding  
(thin  $B_4C$ )



additional shielding  
(thick borated polyethylene)

Thermalization  
AND capture of  
fast neutrons

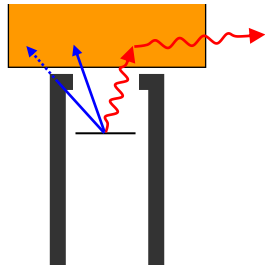
Next experiment planned in autumn:  
- check the background  
- test the beta-chamber  
(beta detectors adapted to this **compact geometry**)



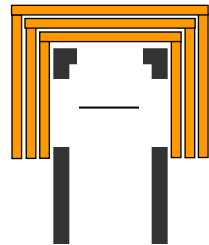


## Improvements on beta detectors

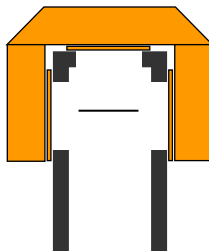
« beta chamber » detector :



standard beta detector

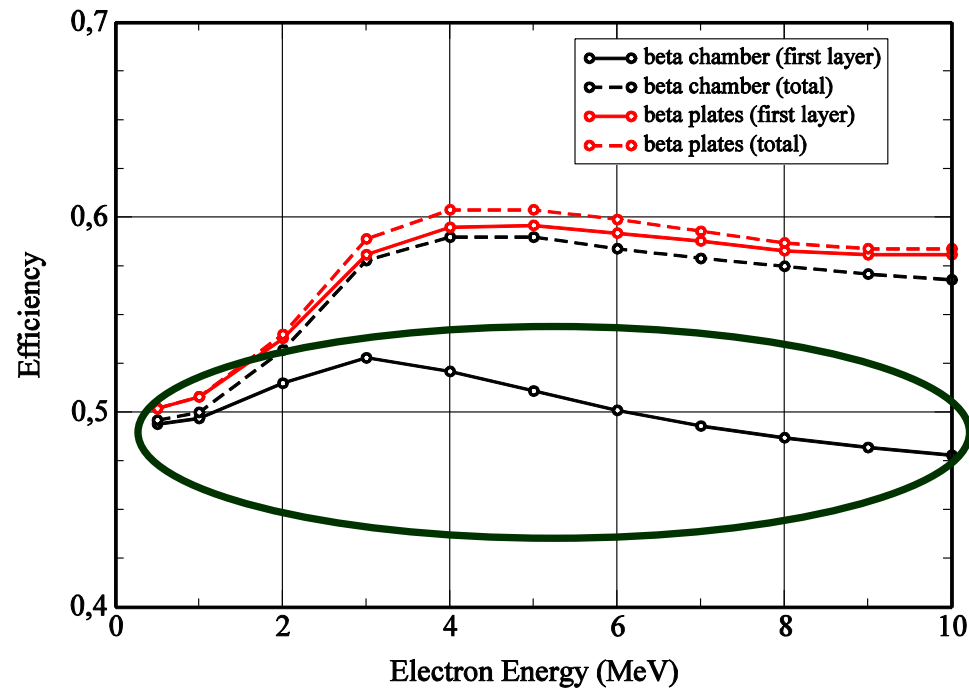


beta plates



beta chamber

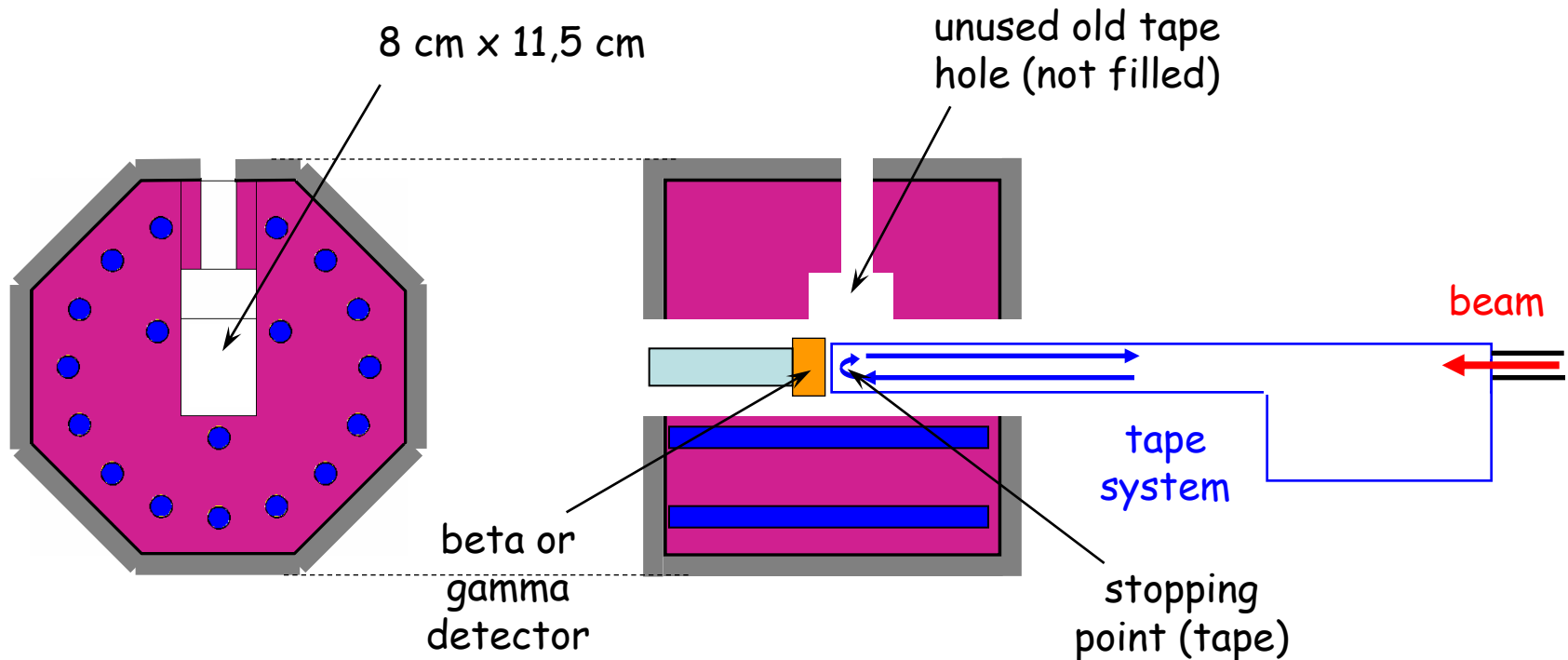
- high sensitivity to gamma rays ( $\epsilon_{\text{Compton}} \sim 10\text{-}20\%$ )
- beta detection efficiency not constant (because of aluminum)



nearly constant efficiency ( $\pm 5\%$ )

## Other facilities

It can be used in **other facilities** than Lohengrin !



**Efficiency must be simulated to check the effect of new surrounding material**